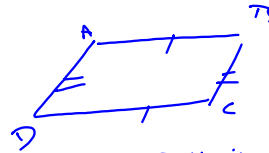


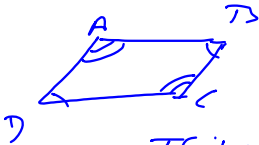
### 6.3 Proving Quadrilaterals are Parallelograms

The converse of 6.2



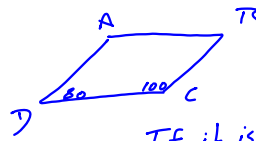
If it is a quadrilateral and both pairs of opposite sides are  $\cong$  then it's a  $\square$

If  $\overline{AB} \cong \overline{DC}$  and  $\overline{BC} \cong \overline{AD}$  then ABCD is a  $\square$



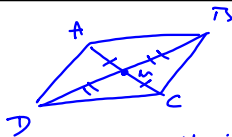
If it is a quadrilateral with opposite angles  $\cong$  then it is a  $\square$

If  $\angle A \cong \angle C$  and  $\angle B \cong \angle D$  then ABCD is a  $\square$



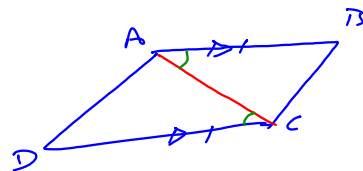
If it is a quadrilateral and consecutive angles are supplementary, then it is a  $\square$

If  $m\angle D + m\angle C = 180$  and  $m\angle A + m\angle B = 180$  then ABCD is a  $\square$



If it is a quadrilateral and its diagonals bisect each other, then it is a  $\square$

If  $\overline{AE} \cong \overline{CE}$  and  $\overline{DE} \cong \overline{BE}$  then ABCD is a  $\square$



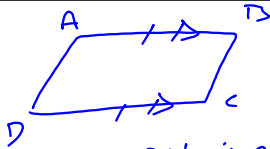
Given  $\overline{AB} \parallel \overline{DC}$   
 $\overline{AD} \cong \overline{BC}$

$\overline{AC} \cong \overline{AC}$   
Reflexive

$\angle BAC \cong \angle DCA$   
Alt Int  $\angle$ 's

$\triangle ABC \cong \triangle CDA$   
by SAS

by the same process  
Shows  $\angle B \cong \angle D$   
by corresponding parts



If it is a quadrilateral  
and one pair of opp sides  
is  $\cong$  and  $\parallel$  then it is a  $\square$

If  $\overline{AB} \parallel \overline{CD}$  &  $\overline{AB} \cong \overline{CD}$  then ABCD is  
a  $\square$

6 ways to show it is a  $\square$

1. Show both pairs of opp sides  $\parallel$
2. Show both pairs of opp sides  $\cong$
3. Show both pairs of opp  $\angle$ 's  $\cong$
4. Show that consecutive  $\angle$ 's are supp
5. Show that the diagonals bisect each other
6. Show that 1 pair of opp sides is  $\cong, \parallel$

Slopes

$$m = \frac{y_2 - y_1}{x_2 - x_1} \quad \text{If } m_1 = m_2 \text{ then } \parallel$$

Distance

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

P 342 - 344

2 - 36 even

30 - Draw using  
protractor, ruler