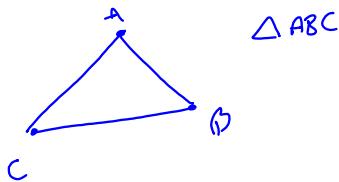
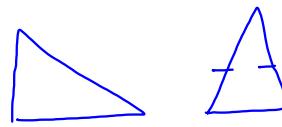


### 4.1 Triangles and Angles

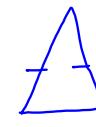
a figure formed by three segments joining three noncollinear pts



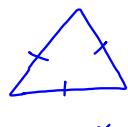
### Classifying Triangles by sides



No sides  $\cong$   
Scalene

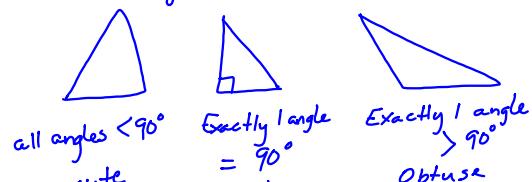


At least 2 sides  $\cong$   
Isosceles



All sides  $\cong$   
Equilateral

### by angles

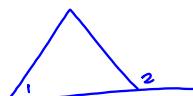


All angles  $\cong$  Equiangular

### Triangle by parts

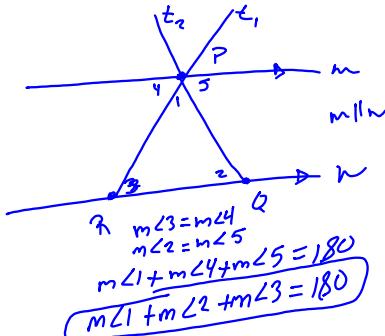
Vertex  
A, B, C  
sides  $\overline{AB}$ ,  $\overline{BC}$ ,  $\overline{AC}$

in Isosceles the 2 equal sides are legs  
the other side is the base  
Right the side opposite the right angle is called hypotenuse  
the other sides are legs



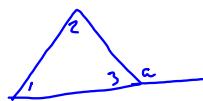
$\angle 1$  is an interior angle  
(Inside)

$\angle 2$  is an exterior angle



Thm 4.1 Triangle sum thm

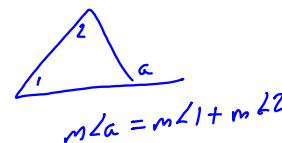
Thm 4.2 Exterior angle Thm



$$\begin{aligned} \text{from 4.1 } m\angle 1 + m\angle 2 + m\angle 3 &= 180 \\ \angle 3, \angle a \text{ linear pair} \\ m\angle 3 + m\angle a &= 180 \\ m\angle 1 + m\angle 2 + m\angle 3 &= m\angle 3 + m\angle a \\ m\angle 1 + m\angle 2 &= m\angle a \end{aligned}$$

Thm 4.2

The measure of the exterior angle of a triangle is equal to the sum of the two nonadjacent angles



$$m\angle a = m\angle 1 + m\angle 2$$

Corollary to Thm 4.1

In a right triangle,  
the sum of the two acute  
angles is  $90^\circ$

Can not have two right angles  
or two obtuse in one triangle

P 198 - 200

2 - 44 even,  
skip 40